

## **Spin dynamics in point contacts to single ferromagnetic films**

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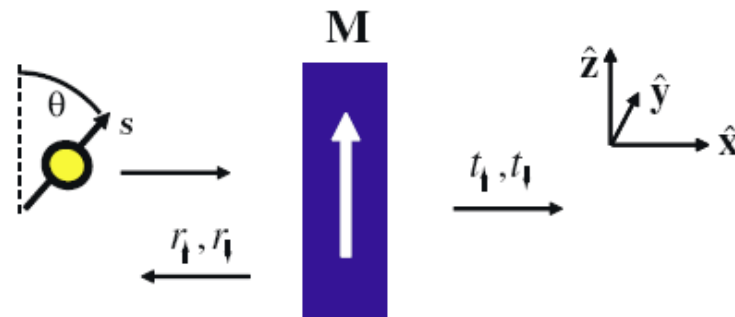
Literature discussion

2 December 2009

Tim Verhagen

# Spin Transfer Torque; Toy model 1

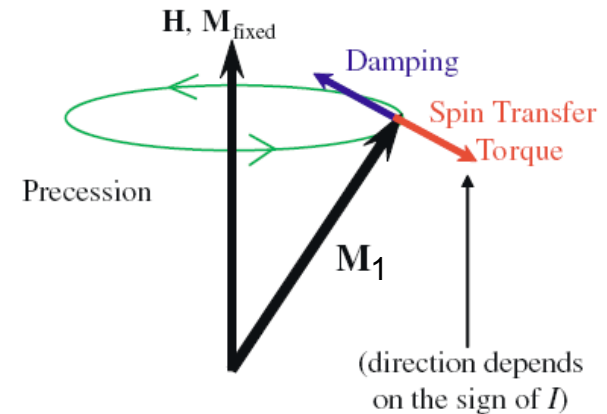
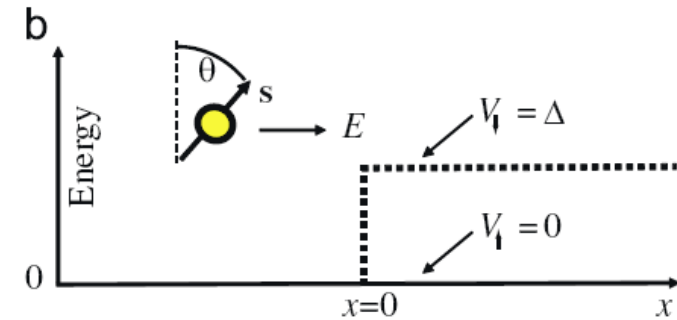
- Need change flow spin current
- torque  $\propto \int dA$  spin current  
 $\propto \int dA$  electron velocity  $\times$  spin density  
 $\propto A(\text{spin current}_{\text{in}} + \text{spin current}_{\text{trans}} - \text{spin current}_{\text{ref}})$
- torque =  $\begin{cases} \neq 0 & \text{if } t_{\uparrow} \neq t_{\downarrow}, r_{\uparrow} \neq r_{\downarrow} \\ 0 & \text{if } t_{\uparrow} = t_{\downarrow}, r_{\uparrow} = r_{\downarrow} \text{ or spin collinear with } \mathbf{M} \end{cases}$



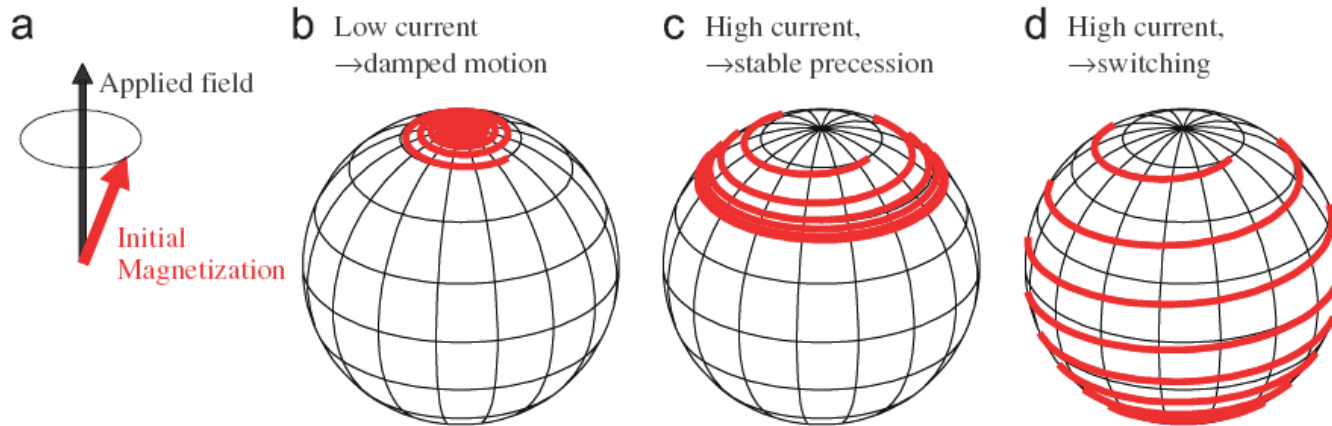
# STT Toy model 2

- Apply stoner model to toy model 1
- Spin current density is discontinuous at interface  $\rightarrow$  torque in x-direction
- Spin precession around z-axis, but dephasing due to different path lengths
- $(d\mathbf{m}_1/dt) \propto I\eta(\Theta)\mathbf{m}_1 \times [\mathbf{m}_1 \times \mathbf{m}_2]$ .

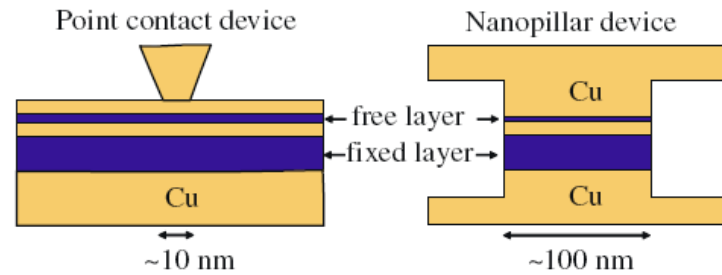
$\underbrace{\hspace{10em}}_{\text{Generated torque}}$   
 $\downarrow$   
 dissipation



# Spin transfer torques



# Experimental point contacts



- Small point contact, so current and not magnetic (Oersted) driven

- Size point contact  $R_{\text{Sharvin}} = \frac{16\rho l}{3\pi d^2}$

# Current voltage characteristics

- Obtain from Green's functions  $I(t)$ , consisting of

$$I(t) = I^0(t) + I^1(t) + I^2(t) + I^3(t)$$

The diagram shows the equation  $I(t) = I^0(t) + I^1(t) + I^2(t) + I^3(t)$  with four vertical arrows pointing downwards from each term to its corresponding physical interpretation:

- $I^0(t)$  points to "Total current through orifice"
- $I^1(t)$  points to "Inductive correction without electron-phonon interaction"
- $I^2(t)$  points to "Inductive correction with electron-phonon interaction"
- $I^3(t)$  points to "Inelastic interactions"

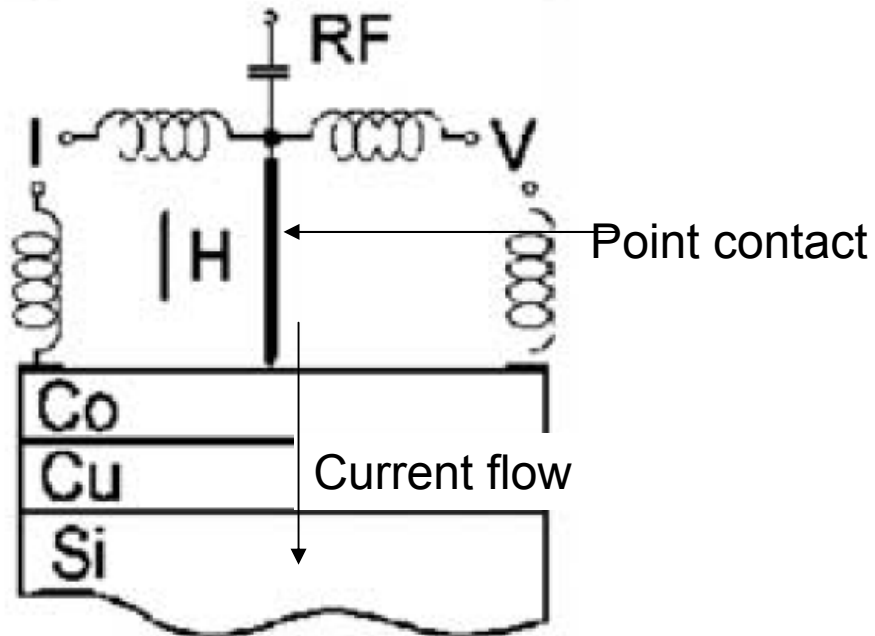
- In classical low frequency limit,  $\omega \ll \omega_D$

$$\bar{I}(\bar{V}) = (\Omega/\pi) \int_0^{\pi/\Omega} I_0(V_0 + V_1 \cos \Omega t) dt,$$

- And if  $V_1 \ll V_0$

$$\delta I(V) = \frac{V_1^2}{4} \left( \frac{d^2 I}{dV^2} \right)_{I=I_0}$$

# Setup



- Ag or Cu point contact up to 20 nm diameter
- 5, 10 or 100 nm thick Co film
- Measure differential resistance (lock-in technique modulating current 10-50  $\mu\text{A}$  @ 443Hz)
- Field up to 5 T
- ? How do they make the contact? STM, micrometer screws?
- ? RF source? Network analyzer?

# IV without radiation

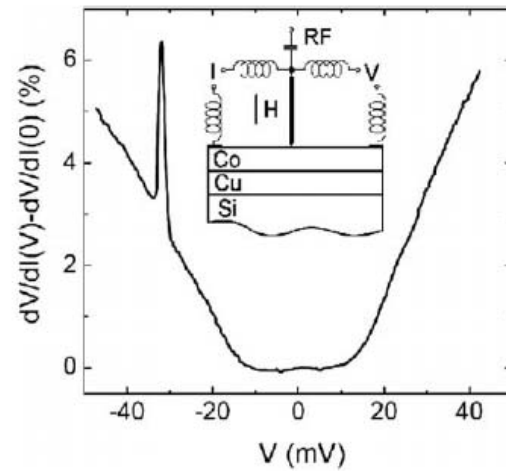
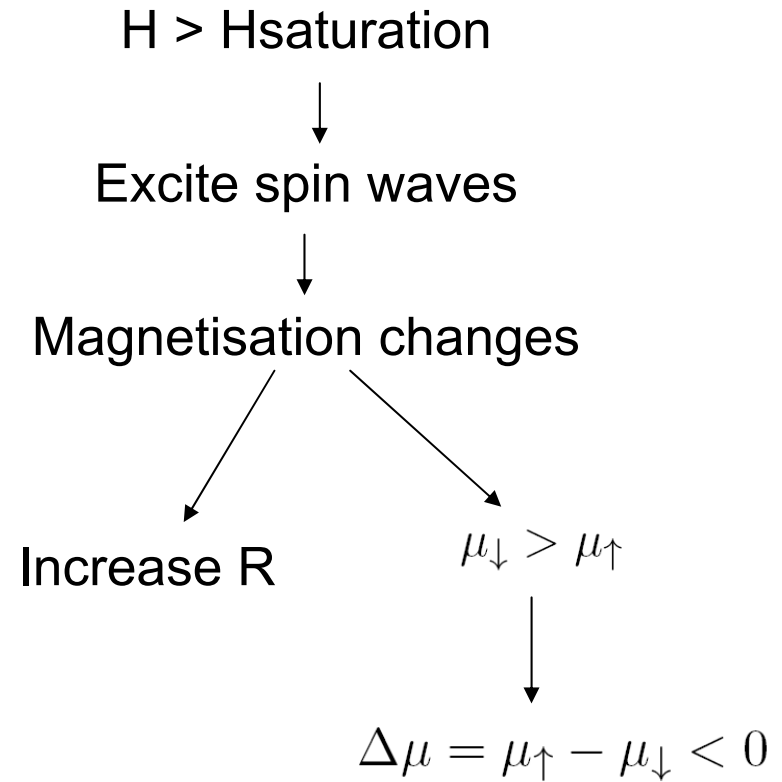
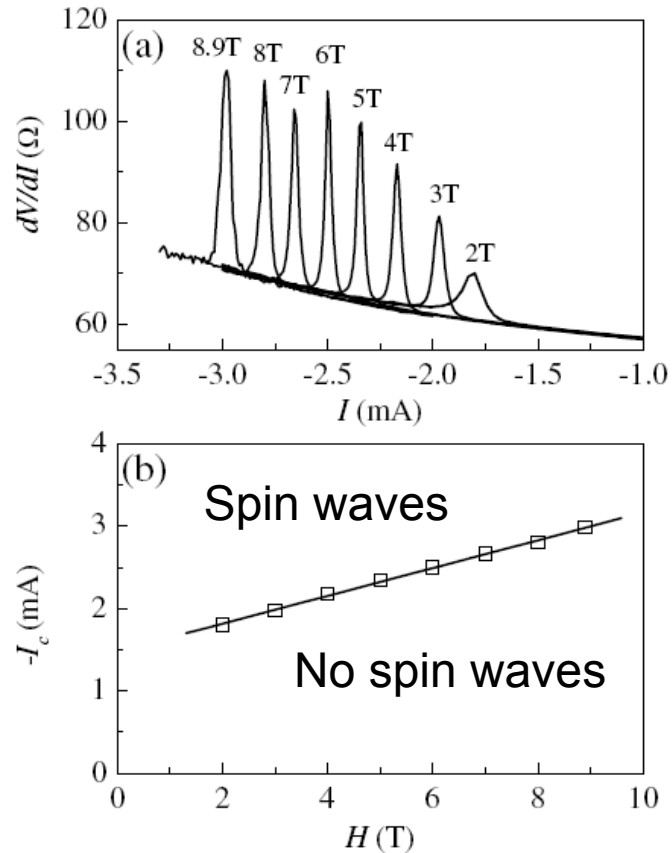


FIG. 1. Relative differential resistance for point contacts of a Cu needle and a 100 nm thick Co film,  $R_0 = 7.2 \Omega$ ,  $H_{\perp} = 4$  T. The inset shows the schematic of the experiment.



# Excitations magnetic layer

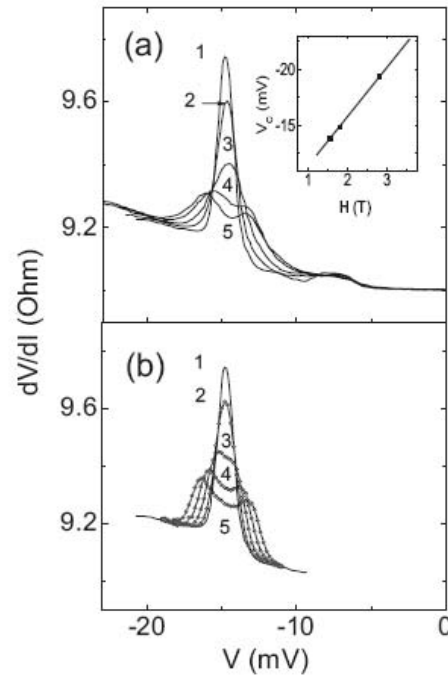


Co|Ag

# Observe 2 features

- rectification behaviour
- stimulation

# rectification behaviour



Ac radiation is rectified in PC

$$\delta I(V) = \frac{V_1^2}{4} \left( \frac{d^2 I}{dV^2} \right)_{I=I_0}$$

FIG. 2. (a)  $dV/dI$  as a function of bias for a point contact of a Cu needle and a 100 nm thick Co film under irradiation with frequency of 2 GHz and powers  $P=0, 12, 24, 36,$  and  $48 \mu\text{W}$  (curves 1, 2, 3, 4, and 5, respectively). (b) Calculated dependence according to Eq. (2) for  $V_1=0.5, 1, 1.5,$  and  $2 \mu\text{V}$  (curves 2, 3, 4, and 5, respectively). Curves 1 in (a) and (b) are identical. Inset: critical voltage (STT peak position) as a function of the external field.

$V_1 \sim 7\text{mV}$

# stimulation

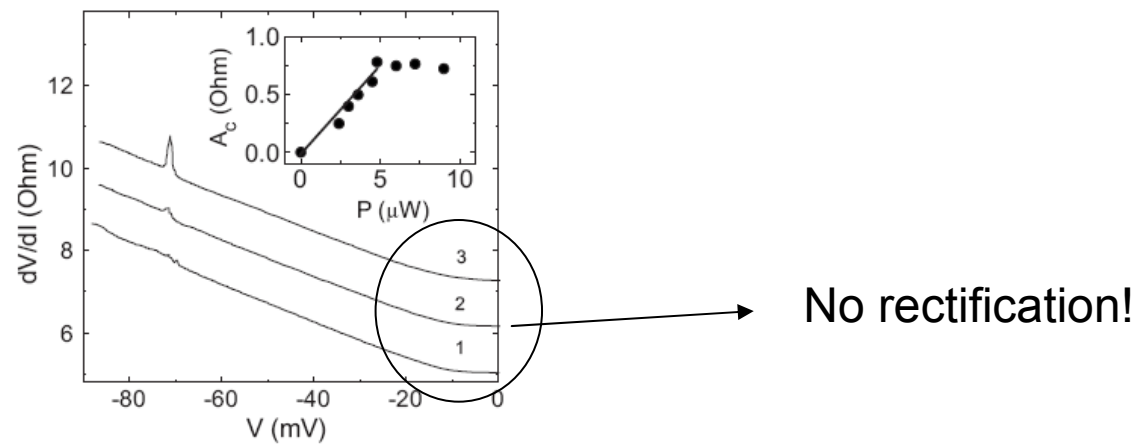


FIG. 3. Spin-wave peak in  $dV/dI$  stimulated by increasing the power of irradiation at 2 GHz for rf powers  $P=0$ , 2.4, and 3.6  $\mu\text{W}$  (curves 1, 2, and 3, respectively). The curves are shifted vertically by 1  $\Omega$  for clarity. The contact is Cu-Co(100 nm),  $R_0=5.04 \Omega$ , and  $H_{\perp}=2.47$  T. The inset shows the amplitude of the induced peak as a function of rf power.

# Resonant absorption

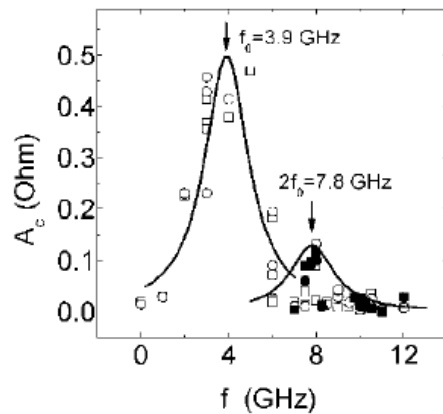


FIG. 4. Amplitude of a spin-wave peak for a Cu-Co (10 nm) contact with  $R_0=6.7 \Omega$  as a function of the rf for  $P_{rf}=4$  and 10 dB m, open and solid symbols, respectively. Circles and squares correspond to the positive and negative bias sweep directions.  $H_{\parallel}=1$  T. Lines are Lorentzian peaks approximating the data, with characteristic frequencies  $f_0$  and  $2f_0$ .

Other samples are 100nm thick!

Why parallel and not perpendicular?

- Only affected around PC
- Different features than for bulk
- Induced mechanical stress, anisotropy, magneto constriction in pc core

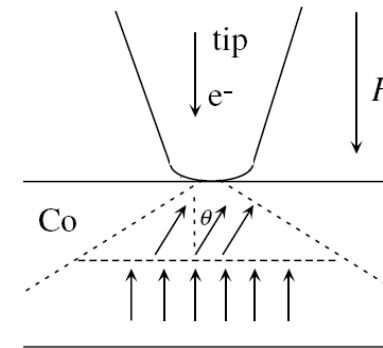


FIG. 4. A microscopic picture of a point contact between an Ag tip and a Co film with an external magnetic field applied perpendicular to the Co layer. On entering the Co film, electrons first pass through a localized “free region” right underneath the tip and before entering the “static region” as the current spreads out. The horizontal dashed line marks the boundary between the free and static regions.

# Conclusion

- Shown resonant and non-resonant behaviour
- PC can have a wide spread in characteristics
- Measured 'hundreds of pc', can show some statistics on behaviour
- Ballistic or diffusive?
- Influence of thickness?

