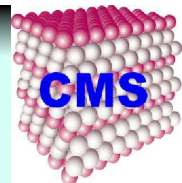


# Transport and dynamical properties of permalloy domain walls from first-principles



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## Motivation: Current-induced domain wall motion

The magnetization dynamics of a domain wall (DW) in the presence of a spin-polarized electric current  $\mathbf{j}$  is described by the generalized Landau-Lifshitz-Gilbert equation:

$$\frac{d\mathbf{m}}{dt} = -\gamma\mathbf{m} \times \mathbf{H}_{\text{eff}} + \alpha\mathbf{m} \times \frac{d\mathbf{m}}{dt} - (1 - \beta\mathbf{m} \times) (\mathbf{v}_s \cdot \nabla) \mathbf{m}$$

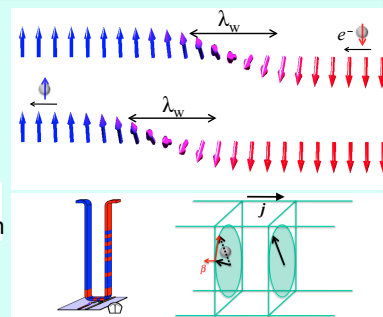
- $\alpha$  and  $\beta$  determine the magnetization dynamics of DWs: the current-induced DW velocity is  $\sim \beta/\alpha$

- The physical origin and numerical value of  $\beta$  are still under debate: for  $\text{Ni}_{80}\text{Fe}_{20}$  DWs, measured values of  $\beta$  range between 0.01 and 0.13.

$$\mathbf{v}_s = \hbar\gamma P\mathbf{j}/2eM_s$$

$P$ : current polarization

$M_s$ : saturation magnetization



## Methods: First-principles spin transport

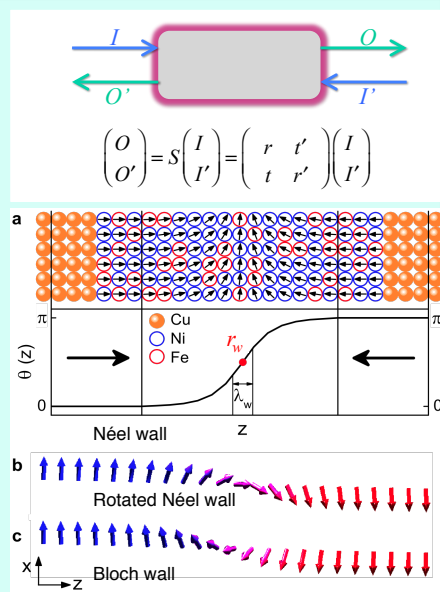
$\alpha$  and  $\beta$  are evaluated using a scattering matrix  $S(r_w)$  [1] calculated from first-principles [2]

$$\alpha = \frac{\hbar\gamma\lambda_w}{8\pi AM_s} \text{Tr} \left( \frac{\partial S}{\partial r_w} \frac{\partial S^\dagger}{\partial r_w} \right)$$

$$\beta = \frac{\lambda_w}{2P} \frac{\text{Im} \left[ \text{Tr} \left( \frac{\partial S}{\partial r_w} S^\dagger \hat{\tau}_z \right) \right]}{\text{Tr} (tt^\dagger)}$$

$$G = \frac{e^2}{h} \text{Tr} \{ tt^\dagger \}$$

- Landauer-Büttiker scattering formalism implemented with TB-LMTO
- "Wave function matching" scheme to calculate scattering matrix
- Self-consistent ASA potentials based on LSDA of density-functional theory and CPA
- Spin-orbit coupling, non-collinearity and disorder on an equal footing
- 8300 atoms in scattering region, 96x96 k-points for a 5x5 lateral supercell



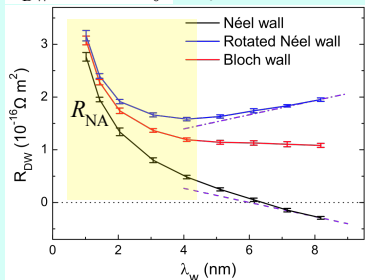
## Modeling: 3 types of DWs

- [1] K.M.D. Hals, A.K. Nguyen, A. Brataas, Phys. Rev. Lett. **102**, 256601 (2009).  
 [2] K. Xia, M. Zwierzycki, M. Talanana, P.J. Kelly and G.E.W. Bauer, Phys. Rev. B **73**, 064420 (2006).

- a) Néel wall:  $\mathbf{m} = \left[ \text{sech} \frac{z-r_w}{\lambda_w}, 0, -\tanh \frac{z-r_w}{\lambda_w} \right]$   
 b) Rotated Néel wall:  $\mathbf{m} = \left[ -\tanh \frac{z-r_w}{\lambda_w}, 0, \text{sech} \frac{z-r_w}{\lambda_w} \right]$   
 c) Bloch wall:  $\mathbf{m} = \left[ -\tanh \frac{z-r_w}{\lambda_w}, \text{sech} \frac{z-r_w}{\lambda_w}, 0 \right]$

## Domain-wall resistance $R_{\text{DW}}$ :

$$R_{\text{DW}} = G^{-1} - G_0^{-1} \quad G_0: \text{without a DW.}$$



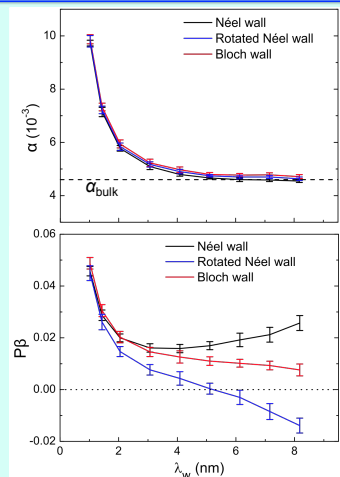
$$R_{\text{DW}} = R_{\text{NA}} + R_1 + R_{\text{AMR}}$$

$R_1$ : intrinsic DW resistance

$$R_{\text{AMR}}^{\text{RN}} = -R_{\text{AMR}}^{\text{N}} = 2\lambda_w (\rho_{\parallel} - \rho_{\perp})$$

## Gilbert damping parameter $\alpha$ and out-of-plane spin torque parameter $\beta$ :

- $\alpha$  is identical for all three types of DW because the disorder scattering is strong;
- In the adiabatic limit, DW scattering has little effect on the Gilbert damping;
- Rapidly-varying magnetization dominates the non-adiabatic behaviour of  $\alpha$  and  $\beta$  in narrow DWs;
- In the adiabatic limit,  $\beta$  is NOT a constant, but a function of DW width and type. It is determined by the spin density accumulation in the DW due to spin-orbit coupling.



**Conclusion:** We report the results of first-principles calculations of the resistance, the effective Gilbert damping and the out-of-plane spin torque of  $\text{Ni}_{80}\text{Fe}_{20}$  DWs. The rapid variation of magnetization in narrow DWs yields non-adiabatic contributions to  $R_{\text{DW}}$ ,  $\alpha$  and  $\beta$  that decrease with the DW width. In the adiabatic limit, the spin-orbit coupling mediated reflection of incident electrons at the DW determines  $R_{\text{DW}}$  and  $\beta$ . Surprisingly, the adiabatic  $\beta$  varies with the DW width and type. Our results should provide valuable guidance for further experimental investigations.